### 5.1

### Quadrilaterals

Parallelogram:	

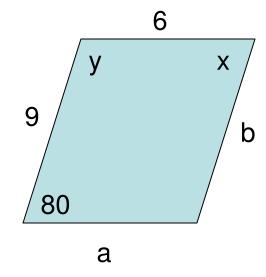
#### More Parallelogram Characteristics

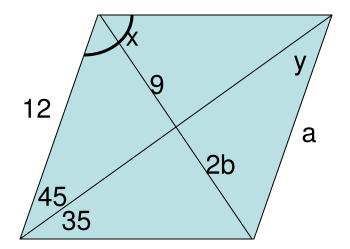
Theorem 5.1:	

Theorem 5.2:

Theorem 5.3:\_\_\_\_\_

#### Examples

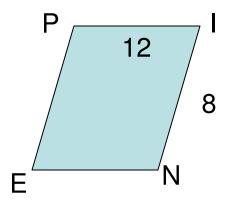




$$b = \underline{\hspace{1cm}}$$

$$x =$$

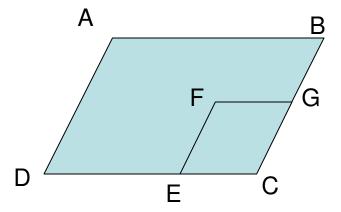
# 3. Find the perimeter of parallelogram PINE if PI=12 and IN=8.



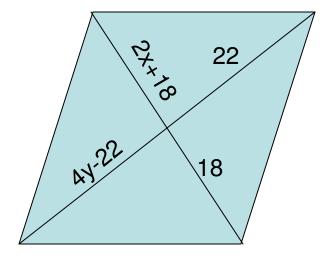
4. *Given* : □ABCD and □CEFG

Prove:  $\angle A \cong \angle F$ 

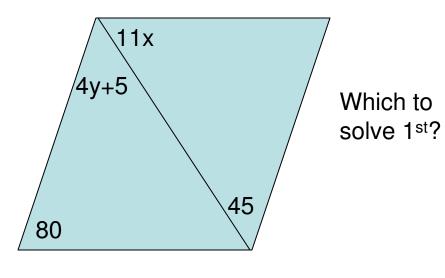
- 1.Given
- 2. Opp  $\measuredangle$ 's  $\cong$
- 3. Transitive



6.



7.



#### True or False:

- 1. Every parallelogram is a quadrilateral?
- 2. Every Quad is a parallelogram?
- 3. All angles of a parallelogram are congruent?
- 4. All sides of a parallelogram are congruent?
- 5. In RSTU, RS is parallel to TU?
- 6. In XWYZ, XY=WZ?
- 7. In  $\bigcirc$  ABCD, if angle A=50, then C=130?

#### 5.2

## Proving Parallelograms

Ways to Prove Quadrilaterals are Parallelograms
Theorem 5.4:
Theorem 5.5:
Theorem 5.6:

Theorem 5.7: \_\_\_\_\_\_

5 ways to prove a quad is a Parallelogram

1.

2

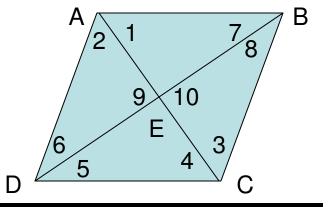
3.

4.

5.

 $Given: \overline{AD} \parallel \overline{BC}; BE=DE$ 

Prove: ABCD is a  $\square$ 



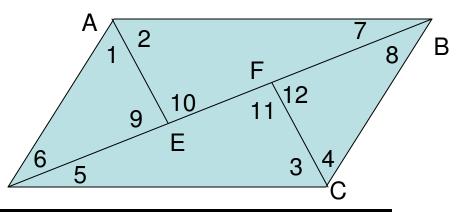
1. *Given* 

*Given* : $\Box ABCD$ ;

**CF** bisects ∠BCD

AE bisects ∠BAD

Prove :  $\overline{AE} \cong \overline{CF}$ 



1.

#### 1. Given

Given:  $\triangle AECF$ ;  $\angle 9 \cong \angle 10$ Prove:  $\triangle ABCD$  is a  $\triangle D$ D

ABCD

ABC

1. Here are the Reasons

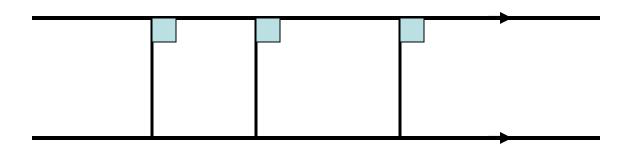
1. Given

## 5.3

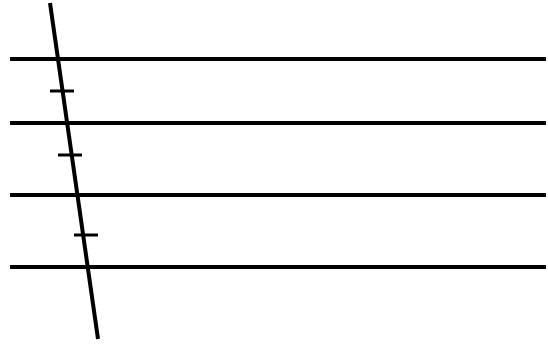
#### **Parallel Lines**

#### Theorems involving Parallel Lines

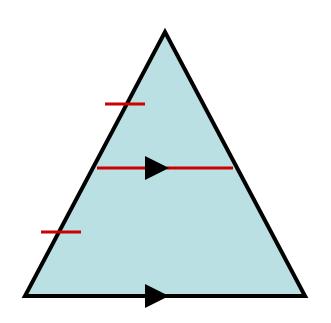
Theorem 5.8:



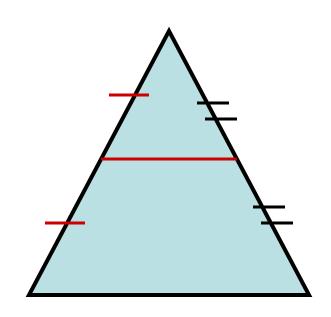
Theorem 5.9:

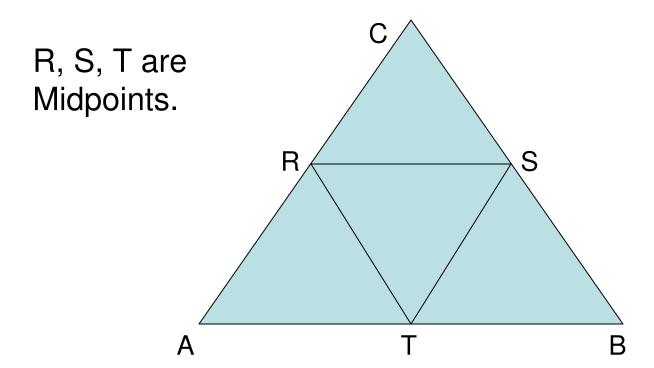


Theorem 5.10: \_\_\_\_\_\_

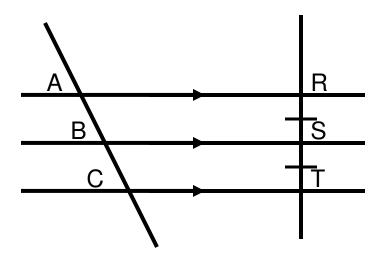


Theorem 5.11:

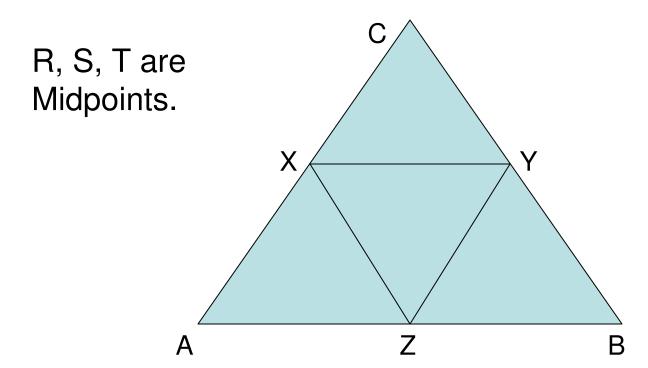




	AB	ВС	AC	ST	TR	RS
a)	12	14	18			
b)		15	22			10
c)				5	9	6



- 1. If RS=12 then ST=\_\_\_\_
- 2. If AB=8 then BC=\_\_\_\_
- 3. If AC=20 then AB=\_\_\_\_\_
- 4. If AC=10x then BC=\_\_\_\_



	AB	ВС	AC	XY	XZ	ZY
a)	K		24		2k+3	
b)	9	8	6			

5.4

# Special Parallelograms

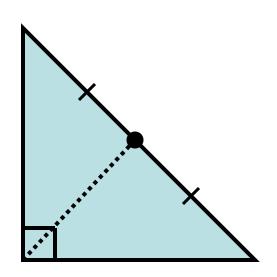
#### Special Parallelograms

Rectangle:		
Rhombus:		
Square:		

#### Theorems for Special Parallelograms

Theorem 5.12:	_
Theorem 5.13:	_
Theorem 5.14:	

Theorem 5.15: \_\_\_\_\_\_



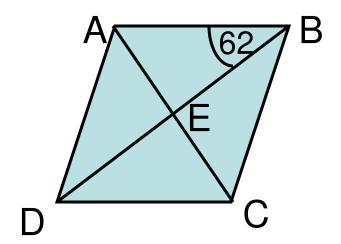
#### Proving a Rhombus or Rectangle

Theorem 5.16:		
Theorem 5.17:		
Theorem 5.17:		

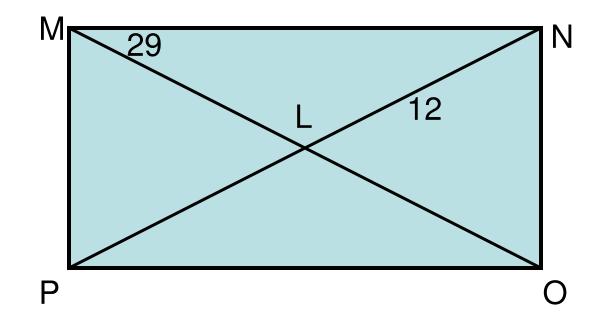
Property	Parallelogram	Rect.	Rhombus	Square
Opp sides ≅				
Opp sides				
Opp ∡'s ≅				
Diag form ≅△				
Diag bisect				
Diag ≅				
Diag ⊥				
Diag bisect 2∡'s				
All Rt ∡'s				
All sides ≅				

#### Examples:

#### ABCD is a Rhombus



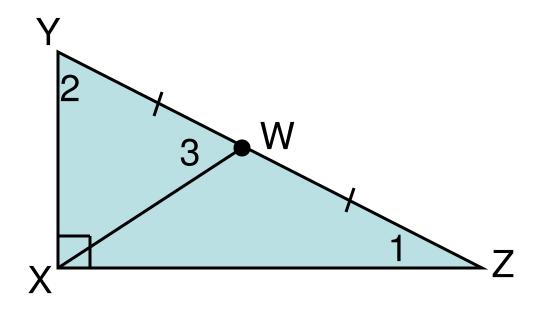
$$\angle ABC = \underline{\phantom{ABC}}$$



# MNOP is a Rectangle

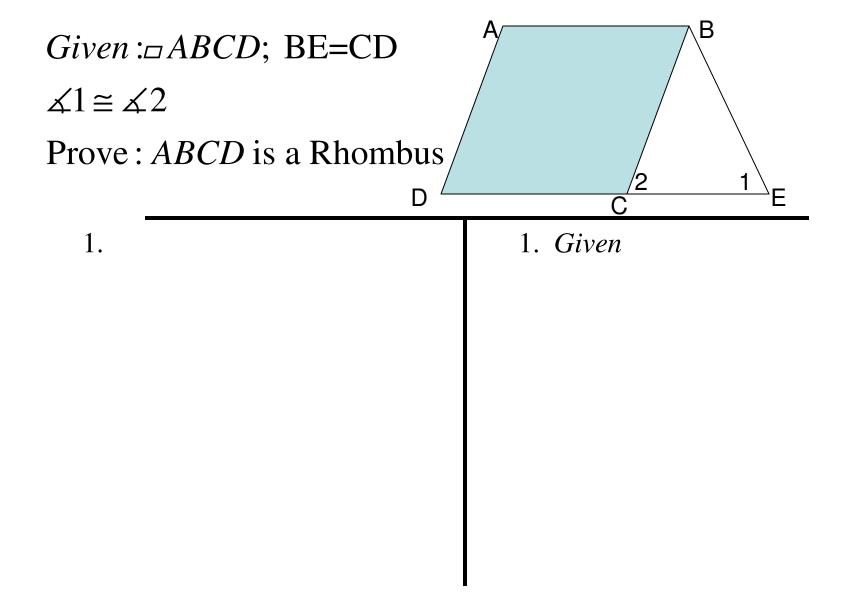
$$\overline{PL} = \underline{\hspace{1cm}}$$

$$\overline{MO} =$$



$$\angle 2 \cong \angle 3$$
; Find  $\angle 1 = \underline{\phantom{A}}$ 

YW=3x-2; WZ=x+8; Find YZ=\_\_\_\_\_



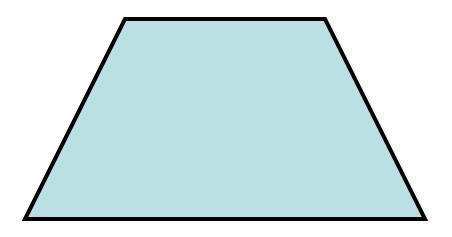
5.5

Trapezoids

Warmup: Always, Nev	ver or Sometimes
1. A square is	_ a rhombus.
2. The diagonals of a posterior bisect the angles of	
3. The diagonals of a rl congruent.	hombus are
4. A rectangle congruent.	has consecutive sides
5. The diagonals of a p perpend other	arallelogram are icular bisectors of each

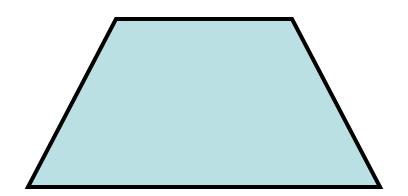
#### Trapezoids

Trapezoid:	
•	
	<u> </u>
Isosceles Trapezoid	

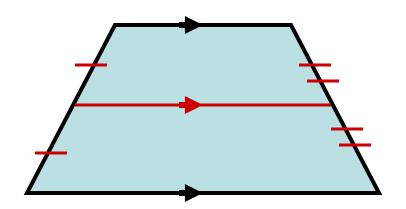


#### Trapezoid Theorems

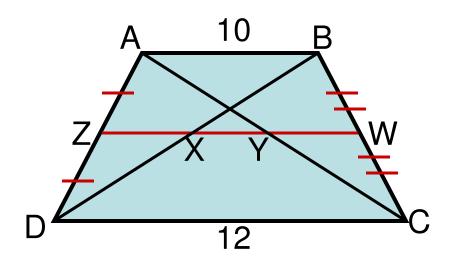
Theorem 5.18:\_\_\_\_\_



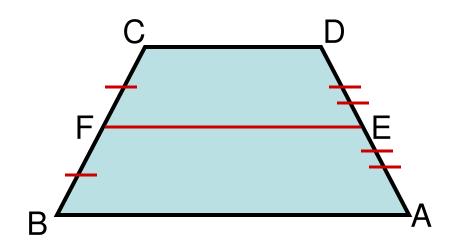
Theorem 5.19:



Solve: AB=10; DC=12

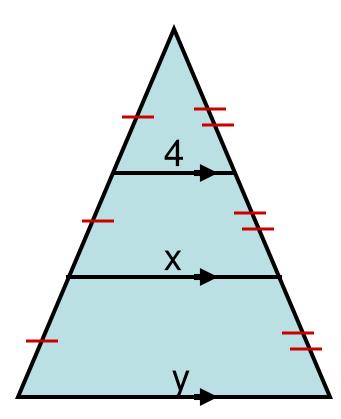


- 1. If AB=25, DC=13 then EF=\_\_\_\_\_
- 2. If AE=11, FB=8 then AD=\_\_\_\_\_ BC=\_\_\_\_
- 3. If AB=29 and EF=24 then DC=\_\_\_\_\_
- 4. If AB=7y+6, EF=5y-3, and DC=y-5 then y=\_\_\_



Find x=\_\_\_\_

y=\_\_\_\_



Quad TUNE is an isosiceles trapezoid with TU and NE as bases. If angle U equals 62 degrees find the measures of the other 3 angles.