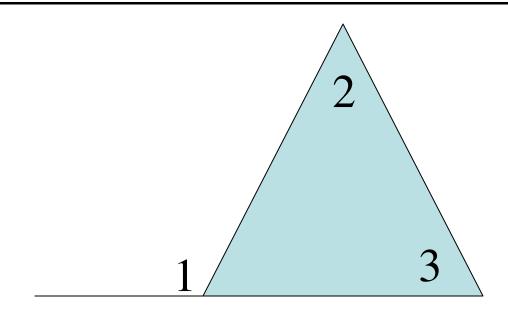
6.1 Inequalities and Indirect Proofs

| Up until now we have dealt with si | ides |
|------------------------------------|------|
| and angles that are | and |
| have used the properties of | |
| in our proofs. | |
| | |
| | |

Now we will deal with _____ sides and angles. We will be using properties of ____.

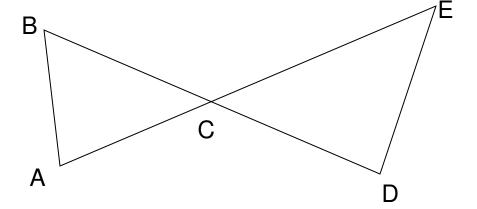
Property of Inequality (All of these)

Exterior Angle Theorem:



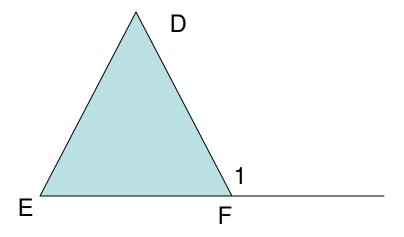
Given: AC > BC; CE > CD

Prove : AE > BD



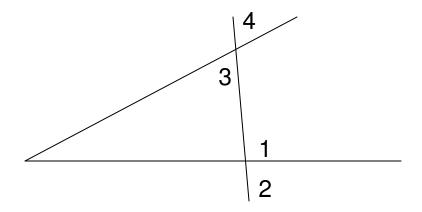
Given: ∠1 is and exterior angle

Prove: $\angle 1 > \angle D$; $\angle 1 > \angle E$



Given : ∠2>∠1

Prove: $\angle 2 > \angle 4$



6.3 Indirect Proof

| We will be using | | |
|--------------------------|---|--|
| | _ | |
| Lets look at an example. | | |

Lets suppose after walking home, Joe enters the house carrying a dry umbrella. You can conclude that it is not raining outside. Why?

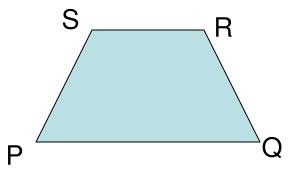
Steps for solving an Indirect Proof:

| • | | | |
|---|--|--|--|
| | | | |
| | | | |
| • | | | |
| | | | |
| | | | |
| • | | | |
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| | | | |

Lets try one, these will be written as a paragragh.

Given: SRQP is a trapezoid

Prove: $PQ \neq SR$

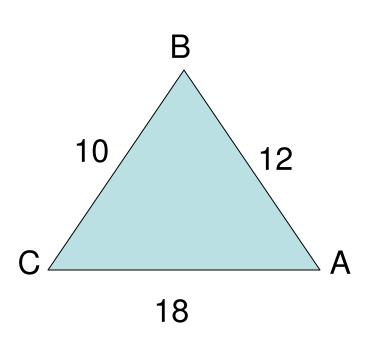


6.4

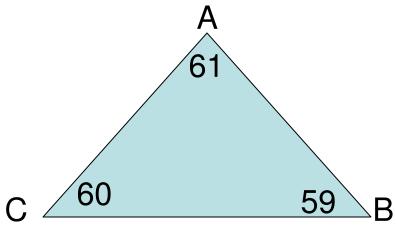
Inequalities

Inequalities for one Triangle

| Theorem 6.2: | | |
|--------------|--|--|
| | | |
| | | |
| | | |
| | | |
| Theorem 6.3: | | |
| | | |
| | | |
| | | |
| | | |



List angles from Largest to smallest:



List sides from Largest to smallest:

| Corollary 1: | |
|--------------|--|
| | |
| | |
| | |
| Theorem 6.4: | |
| | |

When given 2 sides of a triangle you can find a range that the third side will be between.

•_____

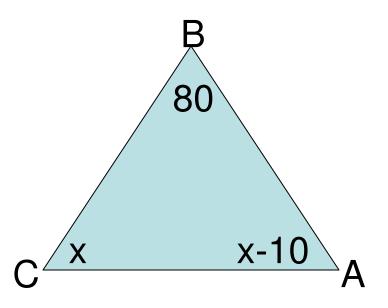
10,12,____

25, 26, _____

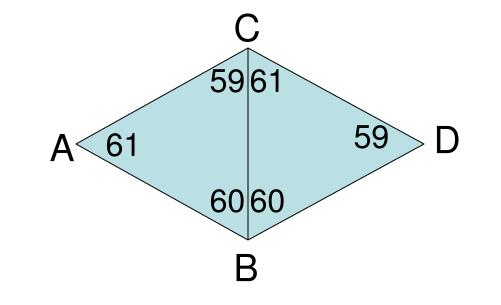
y, y + 2,_____

Find out if each is a triangle, given the sides:

- 1. 6,8,20
- 2. 2.5, 5, 4.1
- 3. 3, 4, 5
- 4. 6, 4, 2
- 5. 6, 5, 6



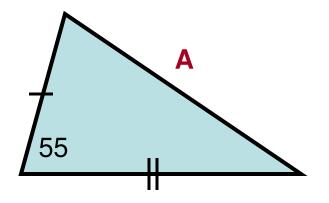
Which side is the longest?

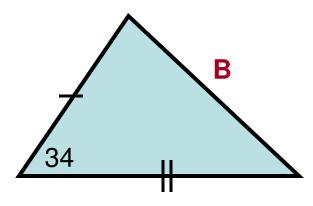


6.5 Inequalities for 2 Triangles

Theorem 6-5: SAS Inequality

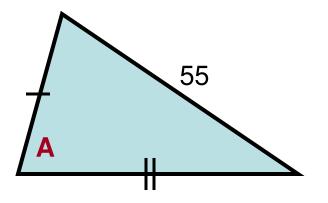


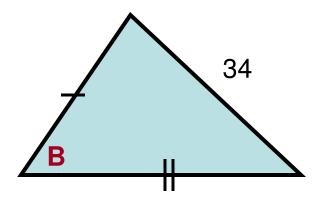




Theorem 6-5: SSS Inequality







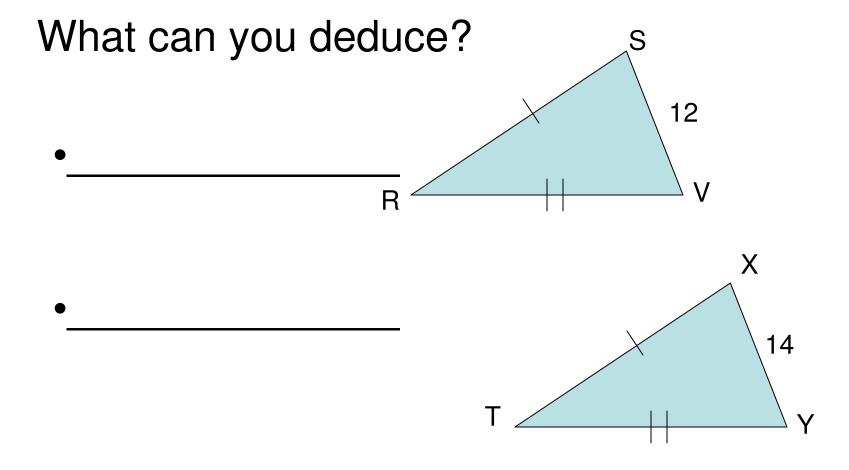
Example:

Given: $RS \cong RT$; $\angle 1 > \angle 2$

• R 1 2 T

Example:

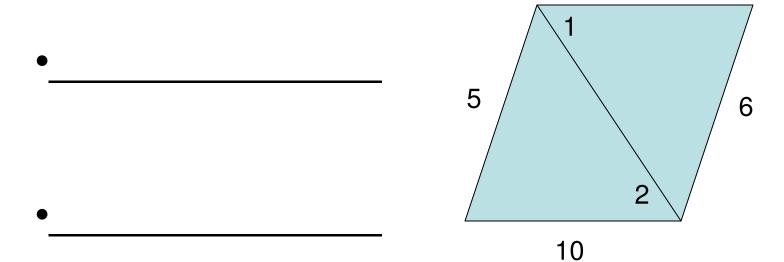
Given: Marked on Drawing



Example:

Given: Marked on Drawing

What can you deduce?



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